

Voltage is Acceleration – Proof via the Josephson Constant

$$\frac{2e}{h} = \frac{f}{volt}$$

$$\frac{2e}{h} = \frac{E}{h} \times 1/volt$$

$$2eV = E$$

KeV=511 for an electron and so we are looking at a pair – electron and positron

$$volt = 2 \times 511KeV/2e$$

$$Volt = 3.189411344 \times 10^{24}$$

$$q^2 = \text{ELECTRON MASS} \times \text{ELECTRON RADIUS} \times 10^7$$

$$\text{Electron energy} = mc^2 = m \times \text{acceleration} \times \text{radial distance}$$

$$9.1093816 \times 10^{-31} \times c^2 = 9.1093816 \times 10^{-31} \times 3.189411344 \times 10^{24} \times 2.817940325 \times 10^{-8}$$

$$\text{VOLTAGE} = \text{ACCELERATION} = 3.189411344 \times 10^{24} \text{ m/s}^2$$

However mc^2 energy is not equal to eV energy

[mc^2 is equal to eVe energy] where [voltage V is acceleration or $c^2/2.817940325 \times 10^{-8}$]

$$mc^2 = 9.1093816 \times 10^{-31} \times c^2 = e \times 3.189411344 \times 10^{24} \times e = eVe$$

Using Planck's derived constant that I have corrected $1.438756867 \times 10^{11}$ Joules

The 186-ether black body energy, $1.438756867 \times 10^{11} = 1.859222909 \times 10^{-9} \times 3.189411344 \times 10^{24} \times 10^{-7} \times$
Compton wavelength of an electron

The 186-ether black body energy = $2\pi \times 1.86 \times 10^{-9} \times c^2 \times 137.036 = 1.438756867 \times 10^{11}$ Joules

Josephson constant is inverse velocity by convention if $E=eV$ $\frac{h}{2e} = \frac{f}{acceleration} = \frac{1}{velocity}$

Not true. eVe will tell you what Josephson and flux means.

The Josephson constant is not inverse velocity and yet happens at a 186-junction.

The superconducting resistance of Von Klinstig, 25812.807 a velocity term and not resistance and $= h/e^2$

$$1.859222909 \times 10^{-9} \times 25812.8067 \times \text{Boltzmann radius} = h \text{ the source of } h$$

$$\text{This is elementary charge } q^2 = 1.859222909 \times 10^{-9} \times 1.380668031 \times 10^{-36} \times 10^7$$

$$\text{And Gravitation constant, } G = (1.380668031 \times 10^{-36} / 1.859222909 \times 10^{-9}) \times c^2$$